

- 1) A pump is delivering less than the expected rate of discharge. What can cause this to happen?

- Right A) Discharge head too low
 B) Discharge head too high
 C) Check valve open
 D) Pump is primed

- 2) A map with a scale of 0.875 in. = 100 feet indicates that manhol "A" is 11.20 in. from manhole "B". What is the actual distance between manholes?

- a) 980.0 ft.
 b) 781.3 ft.
 c) 1,280.0 ft. **Right**
 d) 2,343.8 ft.

$$\frac{\text{Scale factor} \times \text{Measurement}}{\text{Scale}} = \text{Actual Distance}$$

$$\frac{11.20 \text{ in.} \times 100 \text{ ft.}}{0.875 \text{ in.}} = \mathbf{1,280.0 \text{ feet,}}$$

$$= \mathbf{"c"}$$

- 3) If a repair job can be done by 7 people in 8.5 hours, how long will it take for 4 people to do a similar job?

- a) 4 Hours, 30 min.
 b) 14 Hours, 9 min.
 c) 4 Hours, 51 min.
 d) 14 Hours, 53 min. **Right**

1) Set up the problem;

If a repair job can be done by 7 people in 8.5 hours,
 then it would take 4 people, $\frac{7}{4}$ of the time.

$$\text{So, } 8.5 \text{ hrs.} \times \frac{7}{4} = 14.9 \text{ hrs.}$$

2) Convert Decimal Hours to Hours, Minutes;

$$14.9 \text{ hrs.} = 14 \text{ hrs.} + (.88 \text{ hrs.} \times 60 \text{ sec./hr.}) = 52.5 \text{ min.}$$

$$= \mathbf{14 \text{ hrs., } 52.5 \text{ min.} = \mathbf{"D"}}$$

4) In sewer maintenance, what is a pig?

- Right A) A bullet shaped object passed through a force main
 B) A power rod
 C) Any foul smelling equipment
 D) The hydraulic rodding truck

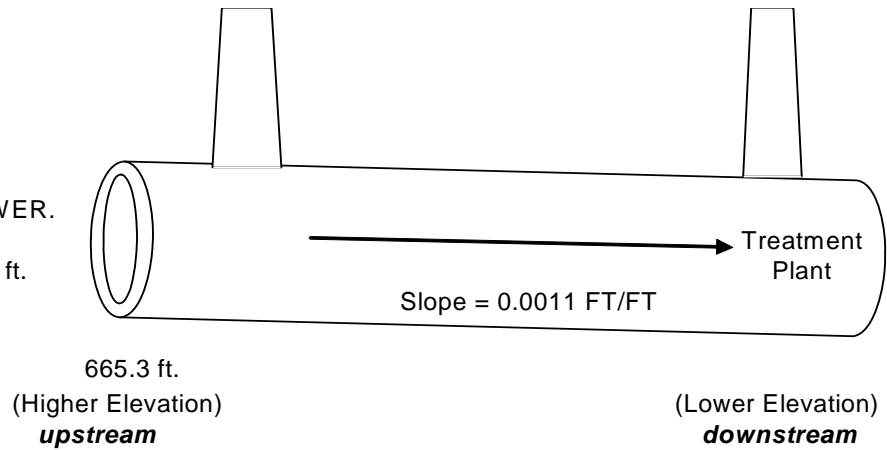
RISE = 1.38 ft.

3) Add or Subtract the 'rise' to get the other Elevation;

The manhole farthest is at 665.3 ft.
 So, the other manhole must be LOWER.

You SUBTRACT the 'rise' from 665.3 ft.

$$\begin{array}{r} 665.30 \text{ ft.} \\ - 1.38 \text{ ft.} \\ \hline 663.92 \text{ ft.} = \text{"B"} \end{array}$$



6) Mechanical ventilation of a lift station is required to

- Right A) Ensure safe working access
 B) Reducing chlorine demand
 C) Reduce corrosion
 D) Increase dissolved oxygen (DO) in raw wastewater

7) If a pump outputs 625 GPM against a total dynamic head of 211 feet, and the pump is 71% efficient, what is the brake HP if the fluid being pumped has a specific gravity of 1.12?

- a) 26.5 HP
 b) 32.3 HP
 c) 4.2 HP
 d) 41.8 HP

Right

$$\begin{aligned}
 \text{WHP} &= \frac{\text{GPM}}{3960} \times \frac{\text{TDH}}{\text{S.G.}} \\
 &= \frac{625 \text{ GPM}}{3960} \times \frac{211.0 \text{ ft. TDH}}{1.12 \text{ (S.G.)}} \\
 &= 14.3 \text{ (output HP)} \\
 &= \frac{14.3 \text{ (output HP)}}{71\%} = 41.8 \text{ HP} \\
 &= \text{"D"}
 \end{aligned}$$

8) A sewer jet with a 1475 gallon tank has a 80 Gal./Min. pump. If the operator has to fill the truck 5 times in an 8 hour day, how much time is spent actually cleaning sewers during that day?

- | | | | |
|---|----|---------|---------|
| | a) | 11 Hrs. | 31 Min. |
| | b) | 3 Hrs. | 50 Min. |
| X | c) | 1 Hrs. | 32 Min. |
| | d) | 2 Hrs. | 28 Min. |

RIGHT!

1) Calculate the total water used:

$$1475 \text{ gal.} \times 5 \text{ fill-ups} = 7,375 \text{ gallons}$$

2) Divide by gal./Min. Pump rate:

$$\frac{7,375 \text{ gal.}}{80 \text{ gal./min.}} = 92.2 \text{ Min.}$$

3) Convert minutes to hours:

$$\frac{92.2 \text{ Min.}}{60 \text{ min/Hr.}} = 1.54 \text{ hrs.}$$

4) Convert Hrs. to hrs. & Min.

Separate the decimal hours & convert to minutes

$$1.54 \text{ hrs.}$$

$$- \frac{1.00 \text{ hrs.}}{0.54 \text{ hrs.}}$$

$$\times 60 \text{ min./hr} = 32.2 \text{ Min.}$$

$$= \mathbf{1 \text{ hrs., } 32 \text{ Min.}}$$

$$= \mathbf{"C"}$$

9) The following flows were recorded for the months of February, March, and April, ...

February, 197.3 cu. ft./sec.

March, 100,186.2 Gal./Min.

April, 255.7 MGD

What was the average daily flow for this three-month period?

- a) 5.9 MGD
- b) 527.2 MGD
- c) 127.3 MGD
- d) 4.7 MGD

Right!

1) Convert all units to MGD (or any of the same units), then total the flows:

$$\text{February, } = \frac{197.3 \text{ cu. ft./sec.}}{1.55 \text{ MGD per ft}^3/\text{sec.}} = 127.3 \text{ MGD}$$

$$\begin{aligned} \text{March, } &= \frac{100,186.2 \text{ Gal./Min.} \times 60 \text{ min./hr.} \times 24 \text{ hrs./day}}{1,000,000} \\ &= 144.3 \text{ MGD} \end{aligned}$$

April, = 255.7 MGD
total the flows

$$\begin{array}{r} \text{February, } 127.3 \text{ MGD} \\ \text{March, } 144.3 \text{ MGD} \\ \text{April, } + 255.7 \text{ MGD} \\ \hline 527.2 \text{ MGD} \end{array}$$

Month	Days
January,	31
February,	28
March,	31
April,	30
May,	31
June,	30
July,	31
August,	31
September,	30
October,	31
November,	30
December,	31

2) Calculate the number of days & divide it into the total flow:

$$\begin{array}{r} \text{February, } = 28 \text{ Days} \\ \text{March, } = 31 \text{ Days} \\ \text{April, } = \frac{30 \text{ Days}}{89 \text{ Days}} \end{array} \quad \text{Average flow} = \frac{527.2 \text{ MGD}}{89 \text{ Days}} = 5.9 \text{ MGD} = \text{"A"}$$

Practice Exam #2

10) A contractor is building a house with a basement elevation of 884.6 ft. The stub-out connection elevation is 876.5 ft. If the minimum allowable slope is 3/8 in./ft. How far from the road can the builder place the house?

- a) 246.5 ft.
- b) 259.2 ft.
- c) 331.7 ft.
- d) 27.4 ft.

Right!

FORMULAS NEEDED:

1% slope = .001 ft./ft.

$$\text{Slope} = \frac{\text{Rise}}{\text{Run}}$$

1) Convert in./ft. Slope to ft./ft.Slope:

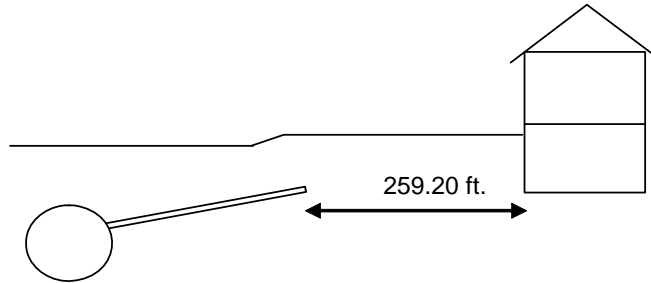
(3/8 " /ft. = .38 in./ft.)

$$\frac{0.38 \text{ in./ft.}}{12 \text{ in./ft.}} = 0.0313 \text{ ft./ft.}$$

2) Calculate the Rise:

Stub-out Elev. - Basement Elev. = Rise

$$\begin{array}{r} 884.6 \text{ ft.} \\ - 876.5 \text{ ft.} \\ \hline 8.1 \text{ ft.} \end{array}$$



3) Calculate slope:

$$\text{Slope} = \frac{\text{Rise}}{\text{Run}} \quad 0.0313 \text{ ft./ft.} = \frac{8.1 \text{ ft.}}{\text{Run}}$$

$$\text{Run} = \frac{8.1 \text{ ft.}}{0.0313 \text{ ft./ft.}} = 259.20 \text{ ft.} = \text{"B"}$$

11) When opening a power rodder properly, do the following

- A) Push the rodding tool into an obstruction and hold it there
- B) Rotate rod in one position
- Right C) Make sure all the torque is out of a broken rod
- D) Rod past dropped joints or through a crushed pipe

12) A common name appurtenance used to keep an accidental flow of wastewater from entering a building is called

- A) Barrel
- B) Cleanout
- Right C) Backwater valve
- D) Catch basin

13) A degreasing agent is added to a 11.5 ft. diameter wet well that is 9.5 ft. deep. 4.5 lbs. is required for every 1 ft² of surface area. If the degreaser weighs 3.5 lbs. per gallon and has a concentration of 16.4 mg/l, how many lbs. Of chemical must be added to the well?

- a) 4,438.1 lbs.
- b) 0.48 lbs.
- c) 3,494.5 lbs.
- d) 467.2 lbs. Right!.

FORMULAS NEEDED:

area of a circle = D² x .785

1) Calculate the surface area of the well;

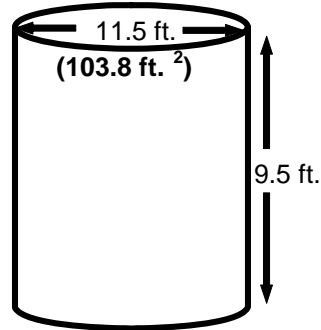
$$\begin{aligned} \text{area of a circle} &= D^2 \times .785 \\ &= 11.5 \text{ ft.} \times 11.5 \text{ ft.} \times .785 = 103.8 \text{ ft}^2 \end{aligned}$$

2) Multiply the required dosage by the surface area;

$$103.8 \text{ ft.}^2 \times 4.5 \text{ lbs./ft.}^2 = \mathbf{467.2 \text{ lbs.}}$$

= "D"

None of the other information is needed



14) The most important traffic safety consideration is the

- A) Time of day
- B) Size of the job
- Right C) Wearing of hard hats and safety vests
- D) Location of the job

15) Which of these chemicals may be used for odor control in sewers?

- Right A) Chlorine
- B) Muriatic acid
- C) Potassium chloride
- D) Sodium chloride

Practice Exam #2

1) Calculate the volume of the cylinders (in gallons):

Vol. Of a cylinder = $D^2 \times .785 \times L$

Volume of Tank :

$$= 6.0 \text{ ft.} \times 6.0 \text{ ft.} \times .785 \times 33 \text{ ft.}$$

$$= 932.6 \text{ ft.}^3$$

$$\underline{\quad \times 7.48 \text{ gal./ft}^3}$$

$$\mathbf{6,975.7 \text{ gal.}}$$

Volume of Piston(s):

$$= 0.375 \text{ ft.} \times 0.375 \text{ ft.} \times .785 \times 0.46 \text{ ft.}$$

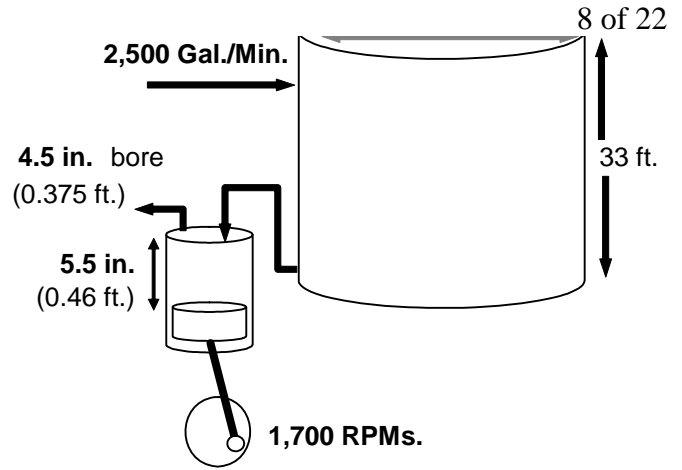
$$= 0.05 \text{ ft.}^3$$

$$\underline{\quad \times 7.48 \text{ gal./ft}^3}$$

$$\mathbf{0.378 \text{ gal.}}$$

$$\underline{\quad \times 4 \text{ Cylinders}}$$

$$\mathbf{1.51 \text{ gal.}}$$



2) Multiply the piston volume by the number of strokes per minute for pumping rate:

$$1,700 \text{ rev./min.} \times 1.51 \text{ Gal.} = 2,567 \text{ Gal./Min.}$$

3) Subtract the inflow from the pumping rate to get 'effective pumping rate':

$$2,567 \text{ Gal./Min.} - 2,500 \text{ Gal./Min.} = 67 \text{ Gal./Min.}$$

4) Calculate the time using the flow formula:

$$\text{Flow} = \frac{\text{Volume}}{\text{Time}} \text{ or } \text{Time} = \frac{\text{Volume}}{\text{Flow}}$$

$$\text{Time} = \frac{6,975.7 \text{ Gal.}}{67 \text{ Gal./Min.}} = 104.11 \text{ min.}$$

4) Convert to hrs. min.:

$$\frac{104.11 \text{ min.}}{60 \text{ min./hr.}} = 1.74 \text{ hrs.}$$

$$= 1 \text{ hr(s)} + (.7 \text{ hrs} \times 60 \text{ min./hr.})$$

$$= \mathbf{1 \text{ hr(s), 44. min.}}$$

$$= \mathbf{"A"}$$

17) Sources of excessively clear water in a collection system include

- A) A problem at the wastewater treatment plant
- B) A sanitary sewer leak
- C) Exfiltration from a high water table
- Right D) Infiltration from a high water table

18) Given the following information, would it be less expensive to finish the job in 2 days, or finish the job in one day by working overtime?

Actual job time = 13.00 hrs
 Travel time & set-up time = 1.25 hrs
 Average Work day = 8.00 hrs
 Hourly pay rate = \$ 21.25
 Overtime is 1.50 times the normal hourly rate

- a) Cheaper to do the work with O.T.
- b) Cheaper to do the work in two days Right
- c) Costs the same either way
- d) None of the above

CALCULATE THE COST BOTH WAYS

1) Cost for completing the work in one day, with overtime;

*(Add up the total hours worked, then
 subtract 8.00 hours to determine hours paid at O.T.)*
13.00 hrs (Actual job time)
+ 1.25 hrs (Travel time & set-up time)
- 8.00 hrs (straight time)

6.25 hrs (paid at O.T. Rate)
(Convert O.T. hours to straight time hours)
6.25 hrs O.T. x 1.50 = 9.38 hrs. pay
(Add them together for total hours paid)
9.38 hrs. pay + 8.00 hrs = 17.38 hrs. total pay

2) Cost for doing the work in two days

1.25 hrs (Set-up, Day 2)
 1.25 hrs (Set-up, Day 1)
 + 13.00 hrs

15.50 hrs (Total pay)

19) A(n) 11 ft. wide x 2,650 ft. long trench must be excavated and the spoils removed from the premises. The spoil weighs 3,600 lbs./cu. yd. and each truck can carry 11 tons. How many truck loads are required if the trench is 14.0 feet deep?

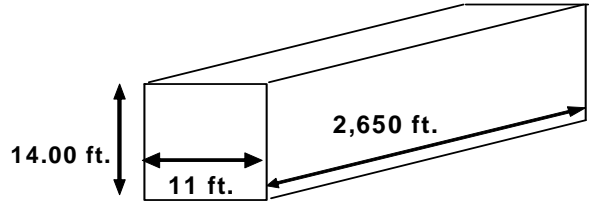
- a) 4,946 Trucks
- b) 2,474 Trucks Right
- c) 7,420 Trucks
- d) 2,473 Trucks

FORMULAS NEEDED;

Volume of a rectangle = L x W x H
 1 ton = 2,000 lbs. 1 yd.³ = 27 ft.³

1) Calculate the volume of the trench in (Yd³);

Volume of a rectangle = L x W x H
 Volume of a rectangle =
 11 ft. x 14.00 ft. x 2,650 ft.
 = 408,100 ft.³
 Convert to yd.³
 $\frac{408,100 \text{ ft.}^3}{27 \text{ ft.}^3/\text{yd.}^3} = 15,115 \text{ cu. yd.}$



3) Calculate the wieght of fill in tons:

$$3,600 \text{ lbs./cu. yd} \times 15,115 \text{ cu. yds.} = \frac{54,413,333 \text{ lbs.}}{2,000 \text{ lbs./ton}} = 27,206.7 \text{ tons}$$

4) Calculate the number of trucks:

$$\frac{27,206.7 \text{ tons}}{11 \text{ tons/truck}} = 2,473.3 \text{ Trucks}$$

You must round up to 2,474 Trucks or there will be .3 truckloads left over.

2,474 Trucks = B'

20) Grease in sewers is mechanically removed by

- Right
- A) High-pressure jets
 - B) Sowing
 - C) Not usually a problem in sewers
 - D) Power rodders

21) A kilowatt (KW) is equivalent to

- Right
- A) .67 amperes at a voltage of 120
 - B) 746 watts
 - C) 1.34 horsepower
 - D) 1,000 megacycles

1 kilowatt = 1,000 watts
 1 HP = 746 watts (or 746 watts per HP)

$$\frac{1,000 \text{ watts}}{746 \text{ watts per HP}} = 1.34 \text{ HP}$$

22) If the grade of a sanitary sewer has a slope of 0.10% for 1,200 feet, what is the rise of the pipe?

- | | |
|-------------------------------------|----------------|
| <input type="checkbox"/> | a) 1201.2 Feet |
| <input checked="" type="checkbox"/> | b) 1.20 Feet |
| <input type="checkbox"/> | c) 0.01 Feet |
| <input type="checkbox"/> | d) 0.12 Feet |

Right

FORMULAS NEEDED:

$$\text{SLOPE} = \frac{\text{RISE}}{\text{RUN}} \quad (\text{Slope} = 0.10\% \text{ or } .001)$$

$$.001 = \frac{\text{RISE}}{1,200 \text{ ft.}}$$

Slope =

$$.001 \times 1,200 \text{ ft.} = \text{RISE}$$

$$.001 \times 1,200 \text{ ft.} = 1.20 \text{ ft.} = \text{"B"}$$

23) Convert 425 degrees Fahrenheit to Celsius

- | | |
|-------------------------------------|-----------|
| <input type="checkbox"/> | a) 457 °C |
| <input type="checkbox"/> | b) 797 °C |
| <input checked="" type="checkbox"/> | c) 218 °C |
| <input type="checkbox"/> | d) 236 °C |

Right

FORMULAS NEEDED:

$$\frac{(^{\circ}\text{F} - 32)}{1.8} = ^{\circ}\text{C}$$

$$\frac{(425 ^{\circ}\text{F} - 32)}{1.8} = 218 ^{\circ}\text{C}$$

$$= \text{"C"}$$

- 24) 31 mg/l. of chemical was previously used to treat a flow of 7,525,000 gal./day. The chemical cost is \$1.37 /lb. A chlorine residual test determined that 17 mg/l. of chemical would be satisfactory. How much money would be saved per month by using the 17 mg/l. dose instead of the 31 mg/l. dose? (1 mo. = 30 days)

- a) \$32,387.54 /mo.
 b) \$36,111.24 /mo. **Right**
 c) \$79,960.60 /mo.
 d) \$43,849.36 /mo.

FORMULAS NEEDED:

$$\text{lbs./day} = \text{MGD} \times \text{mg/l} \times 8.34$$

$$\frac{7,525,000 \text{ gal./day.}}{1,000,000} = 7.53 \text{ MGD}$$

- 1) **Subtract the amount of chemical you are using from what you were previously using, to get the amount of chemical you are saving;**

$$31 \text{ mg/l.} - 17 \text{ mg/l.} = 14 \text{ mg/l. (not used)}$$

- 2) **Use the chemical formula to determine how much the chemical "not used" would have costed;**

$$\text{lbs./day} = \text{MGD} \times \text{mg/l} \times 8.34$$

$$\text{lbs./day} = 7.53 \text{ MGD} \times 14 \text{ mg/l.} \times 8.34$$

$$\text{lbs./day} = 878.6 \text{ lbs./day}$$

$$878.6 \text{ lbs./day} \times 30 \frac{\text{days}}{\text{Mo.}} \times \$1.37 /\text{lb.} = \text{\$ 36,111.24 per month} \\ = \text{"B"}$$

- 25) Infiltration my result from

- Right** A) Bad joints
 B) Improper closed circuit television operation
 C) Poor ventilation
 D) Direct downspout and drain connections

- 26) Which one of the following is a property of chlorine gas?

- Right** A) Heavier than air
 B) Harmless to humans
 C) Highly flammable
 D) Lighter than air

27) 51 mg/l. of root control must be added to a 54 in. sewer that is 2,127 feet long. If the root control chemical is in a solution that consists of only 41% of the chemical, how many lbs. of the solution must be added to the sewer?

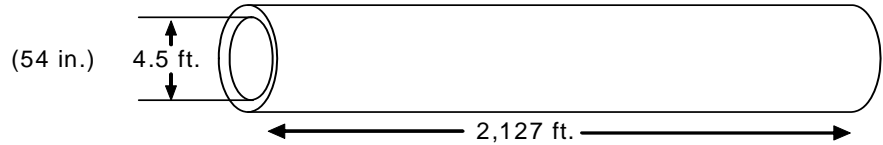
- | | | |
|-------------------------------------|------------------|--------------|
| <input checked="" type="checkbox"/> | a) 262.37 lbs. | Right |
| <input type="checkbox"/> | b) 44.10 lbs. | |
| <input type="checkbox"/> | c) 292.54 lbs. | |
| <input type="checkbox"/> | d) 6,351.06 lbs. | |

FORMULAS NEEDED:

lbs./day = MGD x mg/l x 8.34

Volume of a cylinder = $D^2 \times .785 \times L$

1 ft³ = 7.48 Gallons



1) Calculate the Volume of Pipe, then convert to Million Gallons:

Volume of a cylinder = $D^2 \times .785 \times L$

4.5 ft. x 4.5 ft. x 2,127 ft. x .785 = 33,811 ft.³

1 ft³ = 7.48 Gallons

33,811 ft³ x 7.48 gal./ft³ = $\frac{252,909 \text{ gal.}}{1,000,000}$ = .25 MGD

2) Use formula to Calculate lbs./day:

lbs./day = MGD x mg/l x 8.34

lbs./day = .25 MGD x 51 mg/l. x 8.34

lbs./day = 108 lbs./day

3) The chemical is only 41% pure. You will need more;

$\frac{108 \text{ lbs./day}}{.41} = 262.37 \text{ lbs./day}$
= "A"

28) What is a mechanical means to remove material from a sewer?

- | | |
|-------------------------------------|---------------|
| <input type="checkbox"/> | A) Herbicides |
| <input checked="" type="checkbox"/> | B) Cutting |
| <input type="checkbox"/> | C) Pumping |
| <input type="checkbox"/> | D) Sweeping |

29) The purpose of a lift station sign-in log is to

- | | |
|-------------------------------------|-----------------------------------------------------|
| <input type="checkbox"/> | A) Budget lift station visits |
| <input checked="" type="checkbox"/> | B) Identify who makes changes in station operation |
| <input type="checkbox"/> | C) Track employee movement for disciplinary actions |
| <input type="checkbox"/> | D) All of the above |

30) An automatic chemical feeder treats 17 MGD at a concentration of 54 mg/l.
How many lbs./day of chemical is required?

- | | | |
|-------------------------------------|-------------------|--------------|
| <input type="checkbox"/> | a) 1,024 lbs./day | |
| <input type="checkbox"/> | b) 6,867 lbs./day | |
| <input checked="" type="checkbox"/> | c) 7,656 lbs./day | Right |
| <input type="checkbox"/> | d) 823 lbs./day | |

FORMULAS NEEDED:

$$\text{lbs./day} = \text{MGD} \times \text{mg/l} \times 8.34$$

1) Use formula to Calculate lbs./day;

$$\begin{aligned} \text{lbs./day} &= \text{MGD} \times \text{mg/l} \times 8.34 \\ &= 17 \text{ MGD} \times 54 \text{ mg/l.} \times 8.34 \\ &= \mathbf{7,656 \text{ lbs./day}} \\ &= \mathbf{"C"} \end{aligned}$$

31) What tools are used with a power rodder?

- | | | |
|-------------------------------------|---------------------|--------------|
| <input type="checkbox"/> | A) Finger grips | |
| <input type="checkbox"/> | B) Pruning shears | |
| <input checked="" type="checkbox"/> | C) Spring blades | Right |
| <input type="checkbox"/> | D) Videotape camera | |

32) The minimum scouring velocity normally used for sanitary collection lines is

- | | | |
|-------------------------------------|----------------|--------------|
| <input type="checkbox"/> | A) 1.0 ft/sec | |
| <input checked="" type="checkbox"/> | B) 2.0 ft/sec | Right |
| <input type="checkbox"/> | C) 5.0 ft/sec | |
| <input type="checkbox"/> | D) 10.0 ft/sec | |

33) Calculate the water horsepower if the pump it operates provides 1,475 GPM against 125 feet total dynamic head (TDH)?

- a) 63 HP
- b) 88 HP
- c) 12 HP
- d) 47 HP

Right

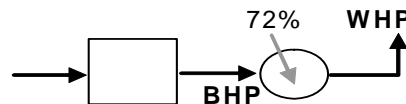
34) If the pump in problem 33 is 72% efficient, then what is the brake HP?

- a) 64.7 HP
- b) 122.6 HP
- c) 16.4 HP
- d) 63.6 HP

Right

FORMULAS NEEDED:

$$WHP = \frac{GPM \times TDH}{3960}$$



Problem #30;
Calculate HP;

$$WHP = \frac{1,475 \text{ GPM} \times 125 \text{ feet}}{3960}$$

$$WHP = 46.6 \text{ HP 'D'}$$

Problem #31;
Calculate BHP;

$$\frac{WHP}{\text{Eff.}} = BHP$$

$$\frac{47 \text{ HP}}{.72} = 64.7 \text{ HP} = \text{"A"}$$

35) What equipment is effective in removing an emergency stoppage?

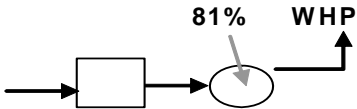
- A) Strip chart recorder
- B) Ultrasonic meter
- C) Front-end loader
- Right D) Hand rodder

36) If a pump outputs 450 GPM against a total dynamic head of 650 feet, and the pump is 81% efficient, what is the brake HP?

- a) 59.8 HP
- b) 91.2 HP
- c) 53.7 HP
- d) 62.9 HP

Right

FORMULAS NEEDED;

$$WHP = \frac{GPM \times TDH}{3960}$$


Calculate HP;

$$WHP = \frac{450 \text{ GPM} \times 650 \text{ feet}}{3960}$$

$$WHP = 73.9 \text{ HP}$$

Calculate BHP;

$$\frac{WHP}{\text{Eff.}} = BHP$$

$$\frac{73.9 \text{ HP}}{.81} = 91.2 \text{ HP}$$

$$= \text{"B"}$$

37) The formula for calculating the volume of a cylinder is;

- A) $V = L \times W \times H$
- B) $V = \text{Distance}/\text{time}$
- Right C) $V = D^2 \times .785 \times D$
- D) $V = D^2 \times 746 \times D$

39) The power factor of a motor is .79 and the pump has an efficiency of 79% . If the motor consumes 7,900 watts, what is the water horsepower?

- a) 10.6 HP
- b) 17.0 HP
- c) 8.4 HP
- d) 6.6 HP

Right

FORMULAS NEEDED:

1 hp = 746 Watts

1) Convert Watts to HP:

1 hp = 746 Watts

$$\frac{7,900 \text{ watts}}{746 \text{ Watts/HP}} = 10.6 \text{ HP}$$

2) Calculate BHP

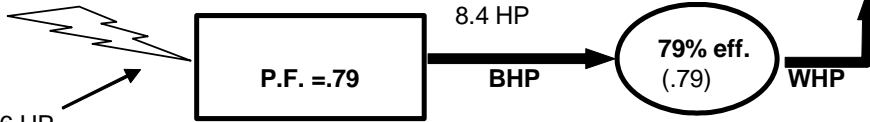
$$\frac{10.6 \text{ HP}}{.79 \text{ P.F.}} = 8.4 \text{ HP}$$

3) Calculate WHP

$$\frac{8.4 \text{ HP}}{.79 \text{ eff.}}$$

6.6 HP

= "D"



40) Employers must provide employees with information about possible health effects from contact with hazardous materials. This is called “right-to-know” legislation. Which document provides “right-to-know”?

- Right
- A) Material Safety Data Sheet
 - B) NPDES permit
 - C) Sewer ordinance
 - D) Clean Water Act

41) The interior of 1,275 ft. of 60 in. pipe is uniformly coated with 2.75 in. of grease. How many gallons will this pipe hold when filled with water?

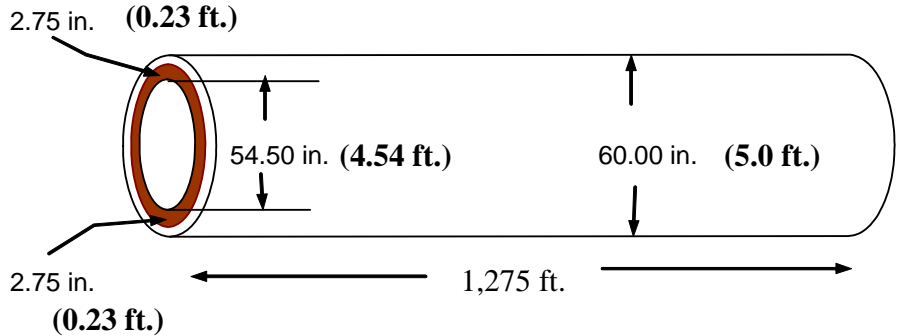
-
-
-
-

- a) 154,423 Gal.
- b) 33,810,668 Gal.
- c) 172,178 Gal.
- d) 26,541,375 Gal.

Right

FORMULAS NEEDED:

1 FT.³ = 7.48 Gallons
 Vol. Of a Cylinder = D² x .785 x L



Subtract the grease from the diameter for new diameter:

(Because the grease is on both sides, it must be subtracted twice)
 5.00 ft. - .23 ft. - .23 ft. = 4.54 ft.

Calculate the Volume of the Pipe:

$$\text{Vol. Of a Cylinder} = D^2 \times .785 \times L$$

$$= 4.54 \text{ ft.} \times 4.54 \text{ ft.} \times .785 \times 1,275 \text{ ft.} = 20,644.78 \text{ ft.}^3$$

Convert ft³ to Gallons:

$$1 \text{ FT.}^3 = 7.48 \text{ Gallons}$$

$$20,644.78 \text{ ft.}^3 \times 7.48 = 154,423 \text{ Gal.} = \text{"A"}$$

42) Who must review plans for final approval before a new sewer can be constructed?

- A) County commissioner
- B) City sewer Inspector
- C) Ohio EPA
- D) Water Commission

Right

43) What will happen if the discharge valve on a centrifugal pump is partially closed?

- A) Amperage will increase, discharge head will increase
- B) Amperage will decrease, discharge head will increase
- C) Amperage will decrease, discharge head will remain constant
- D) Amperage will decrease, discharge head will decrease

Right

oot per second flow is equal to _____ gallons per hour.

- A) 2,794
- B) 3,500
- C) 6,000
- D) 26,928

$$\frac{1 \text{ ft}^3/\text{sec.}}{1.55 \text{ MGD/CFS}} = 0.645 \text{ MGD} \quad 0.645 \text{ MGD} \times \frac{1,000,000 \text{ gal.}}{24 \text{ hrs./day}} = 26,882 \text{ gal./hr.}$$

45) Colored dye is dumped into a manhole. The dye first appears 3 min., 17 sec. later in a manhole 1,850 feet downstream and disappears 21 min. and 49 sec. after the dye was first dumped into the manhole. What is the velocity of the flow in the sewer?

- a) 1.41 Ft./Sec.
- b) 2.46 Ft./Sec.
- c) 9.39 Ft./Sec.
- d) 0.81 Ft./Sec.

Right

FORMULAS NEEDED:

$$\text{velocity} = \frac{\text{Distance}}{\text{Time}}$$

Convert Min., Sec. To Seconds:

Dye first appears:

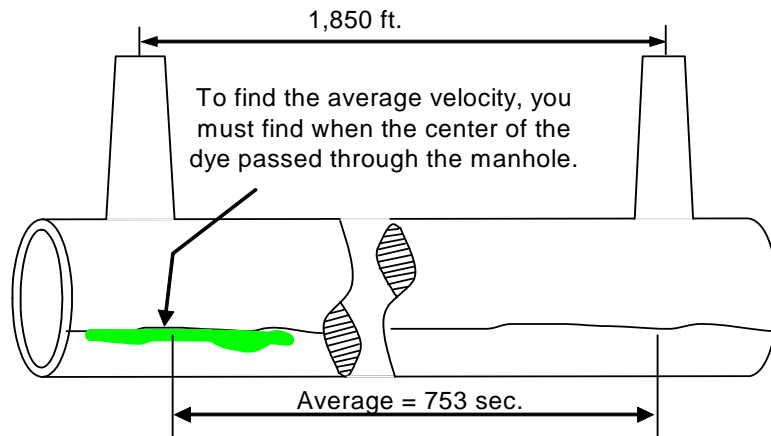
$$\begin{aligned} 3 \text{ min., } 17 \text{ sec.} &= \\ 3 \text{ min.} \times 60 \text{ sec./min.} &= 180 \text{ sec.} \\ &+ 17 \text{ sec.} \\ &= 197 \text{ sec.} \end{aligned}$$

Dye disappears:

$$\begin{aligned} 21 \text{ min., } 49 \text{ sec.} &= \\ 21 \text{ min.} \times 60 \text{ sec./min.} &= 1260 \text{ sec.} \\ &+ 49 \text{ sec.} \\ &= 1309 \text{ sec.} \end{aligned}$$

Average the Start & finish times;;

$$\frac{197 \text{ sec.} + 1309 \text{ sec.}}{2} = 753 \text{ sec.}$$



Use the formula to calculate the velocity;

$$\text{velocity} = \frac{\text{Distance}}{\text{Time}}$$

$$\frac{1,850 \text{ ft.}}{753 \text{ sec.}} = 2.46 \text{ ft./sec.} = \text{"B"}$$

46) "Schedule 40" refers to pipe

- A) flow capacity
- B) friction loss
- C) tubing strength
- Right D) wall thickness

47) A wastewater treatment plant receives the following:

- Pump Station = 3,250 GPM
- Sewer "A" = 12,500 People @ 95 GPCD
- I&I = 24,000 gal/day
- Ind. Waste = 67,000 gal/day
- Sewer "B" = ?

If the plant receives 7.3 MGD, what percentage of the total flow is contributed by sewer "B"?

- | | |
|-------------------------------------|----------|
| <input type="checkbox"/> | a) 77.5% |
| <input type="checkbox"/> | b) 22.5% |
| <input type="checkbox"/> | c) 81.6% |
| <input checked="" type="checkbox"/> | d) 18.4% |
- Right**

FORMULAS NEEDED:

GPCD = Gallons Per Capita Per Day

Add up known flows:

Pump Station	4,680,000 Gal./Day
Sewer "A"	1,187,500 Gal./Day
I&I	24,000 Gal./Day
Ind. Waste	+ 67,000 Gal./Day
	<hr/> 5,958,500 Gal./Day

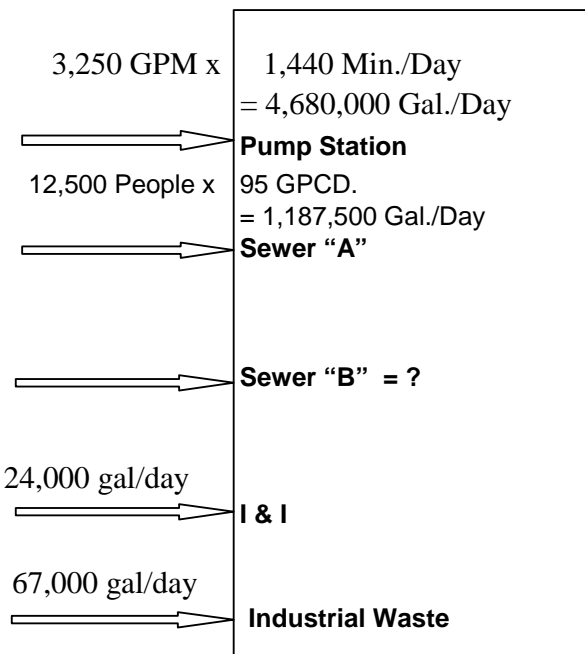
Subtract known flows from the plant flow to get to get Sewer 'B':

	7,300,000 Gal./Day
-	5,958,500 Gal./Day
	<hr/> 1,341,500 Gal./Day (Sewer "B")

Divide I & I flow by the plant flow & multiply by 100:

$$\frac{1,341,500 \text{ Gal./Day}}{7,300,000 \text{ Gal./Day}} \times 100 = 18.4\% = \text{"D"}$$

Plant Flow = 7,300,000 Gal./Day (7.30 MGD)



** Before picking your answer, look at your I & I flows, does 1,341,500 Gal./Day I & I look like it might be 18.4% of 7,300,000 Gal./Day plant flow? If not, you probably divided by the wrong number.

48) Employee hazards in collection system operations include

- A) Noxious or toxic gasses or vapor.
- B) Oxygen deficiency.
- C) Physical injuries.
- Right D) All of the above

49) A wet well is 9 feet deep by 21 feet in diameter. When the pump is not running, the water rises 33.0 in. in 2 min. 52 sec. If the level falls 5.2 in. in 14.0 min. while the pump is running, what is the pump rate in GPM?

- a) 2,404 Gal./Min.
- b) 2,564 Gal./Min. Right
- c) 2,680 Gal./Min.
- d) 11,740 Gal./Min.

FORMULAS NEEDED;

Volume of Cylinder = $D^2 \times .785 \times \text{Depth}$ $1 \text{ ft.}^3 = 7.48 \text{ Gal.}$

Flow = $\frac{\text{Volume}}{\text{Time}}$

Simplify;

33.0 in. = 2.8 ft. 2 min. + $\left\{ \frac{52 \text{ sec.}}{60 \text{ sec/min}} \right\} = 2.87 \text{ min.}$
 5.2 in. = 0.4 ft.

Calculate inflow with the pump off;

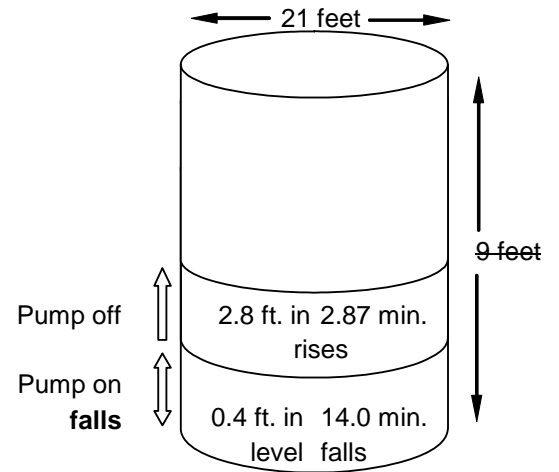
Volume of Cylinder = $D^2 \times .785 \times \text{Depth}$
 = 21 ft. x 21 ft. x .785 x 2.8 ft.
 = 952.01 ft.^3
 Convert to gallons;
 = 952.01 $\text{ft.}^3 \times 7.48 \text{ gal/ft}^3 = 7,121.03 \text{ Gal.}$

Flow = $\frac{\text{Volume}}{\text{Time}}$ Flow = $\frac{7,121.03 \text{ Gal.}}{2.87 \text{ min.}}$
 = 2,484 Gal./Min. (Inflow)

Calculate change in volume with the pump on;

Volume of Cylinder = $D^2 \times .785 \times \text{Depth}$
 = 21 ft. x 21 ft. x .785 x 0.4 ft.
 = 150.01 ft.^3
 Convert to gallons;
 = 150.01 $\text{ft.}^3 \times 7.48 \text{ gal/ft}^3 = 1,122.10 \text{ Gal.}$

Flow = $\frac{\text{Volume}}{\text{Time}}$ Flow = $\frac{1,122.10 \text{ Gal.}}{14.00 \text{ min.}}$
 = 80 Gal./Min.



Add or subtract the change in volume to the inflow

The level falls when the pump is on. This means the pump is keeping up add the to the 2,484 GPM Inflow.

2,484 GPM
 + 80 GPM

 2,564 GPM = "B"

50) If a sewer must have a flow rate of 27 MGD with a velocity between 1.50 ft./sec. and 2.75 ft./sec. What must the minimum size be?

- | | |
|---|------------------------|
| x | a) 53 in. Right |
| | b) 72 in. |
| | c) 71 in. |
| | d) 52 in. |

FORMULAS NEEDED:

$$\text{ft}^3/\text{sec.} = 1.55 \times \text{MGD}$$

$$\text{Area (ft}^2\text{)} = D^2 \times .785$$

$$\text{ft}^3/\text{sec.} = \text{ft}^2 \times \text{ft./sec.}$$

(Flow = Area x Velocity)

Convert MGD to ft³/sec.

$$\begin{aligned} \text{ft}^3/\text{sec.} &= 1.55 \times \text{MGD} \\ &= 1.55 \times 27 \text{ MGD} \\ &= 41.9 \text{ ft}^3/\text{sec.} \end{aligned}$$

Decide which velocity you will use;

If the question asks for the minimum pipe size, you will need to design the pipe toward the HIGHEST velocity
 If the question asks for the maximum pipe size, you will need to design the pipe toward the LOWEST velocity

In this case, it asks for the *minimum* velocity, so you will use the 2.75 ft./sec. velocity

Use the formula, $\text{ft}^3/\text{sec.} = \text{ft}^2 \times \text{ft./sec.}$ To get the area;

$$\begin{aligned} \text{ft}^3/\text{sec.} &= \text{ft}^2 \times \text{ft./sec.} \\ 41.9 \text{ ft}^3/\text{sec.} &= \text{ft}^2 \times 2.75 \text{ Ft./Sec.} \end{aligned}$$

$$\frac{41.9 \text{ ft}^3/\text{sec.}}{2.75 \text{ Ft./Sec.}} = 15.22 \text{ ft}^2$$

Use the formula, $\text{Area (ft}^2\text{)} = D^2 \times .785$ To get the D²

$$\begin{aligned} \text{Area (ft}^2\text{)} &= D^2 \times .785 \\ 15.22 \text{ ft}^2 &= D^2 \times .785 \end{aligned}$$

$$\frac{15.22 \text{ ft}^2}{.785} = D^2$$

$$19.4 \text{ ft}^2 = D^2$$

Then square root the D², to get the Diameter

$$D^2 = D \text{ (Diameter)}$$

$$19.4 \text{ ft}^2 = 4.40 \text{ ft.}$$

Convert to inches

$$4.40 \text{ ft.} \times 12 \text{ in./ft.} = \mathbf{52.8 \text{ in.}}$$

= "A"

We are looking for the **minimum** velocity
 52.0 in. would be too small & cause the velocity to rise above 2.75 ft./sec.